

# Spinal cord plasticity "solves" the sensorimotor loop

Sergio Verduzco-Flores, Erik De Schutter Neural Computation Unit, OIST; Computational Neuroscience Unit, OIST sergio.verduzco@oist.jp

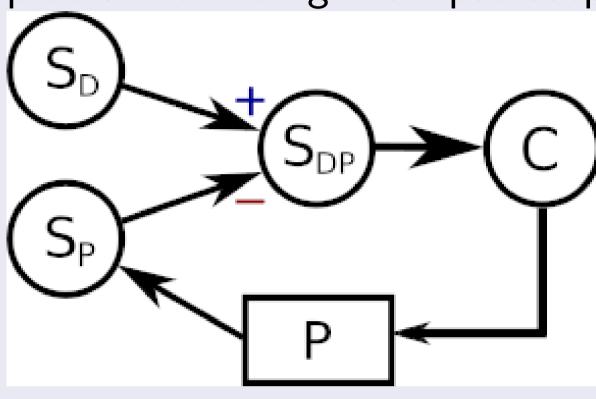
#### Introduction

- Mounting evidence shows that long-term spinal cord plasticity is involved in learning even simple behaviors.
- Corticospinal connections mainly target interneurons (not motoneurons).
- Plasticity in the spinal cord must coordinate with cortical plasticity.
- This is a big gap in our understanding of the sensorimotor loop.

## A differential Hebbian learning framework

We developed a biologically-plausible motor control framework based on differential Hebbian learning.

 In a MIMO feedback control system a central problem is finding the input-output structure



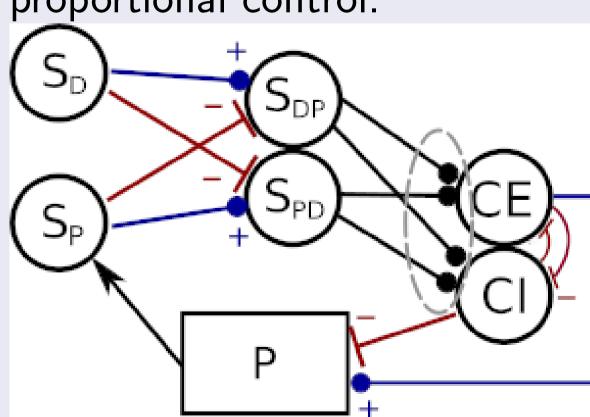
• C contains N neurons with activity vector  $\mathbf{c} = [c_1, \ldots, c_N]$ . The input to each of these units is an M-dimensional vector  $\mathbf{e} = [e_1, \ldots, e_M]$ . Each unit in C has an output  $c_i = \sigma\left(\sum_j \omega_{ij} e_j\right)$ , where  $\sigma(\cdot)$  is a positive sigmoidal function. The inputs are assumed to be errors, and to reduce them  $\mathbf{we}$  want  $e_j$  to activate  $c_i$  when  $c_i$  can reduce  $e_j$ . One way this could happen is when the weight  $\omega_{ij}$  from  $e_j$  to  $c_i$  is proportional to the negative of their sensitivity derivative:

$$\omega_{ij} \propto -rac{\partial e_{j}}{\partial c_{i}}$$

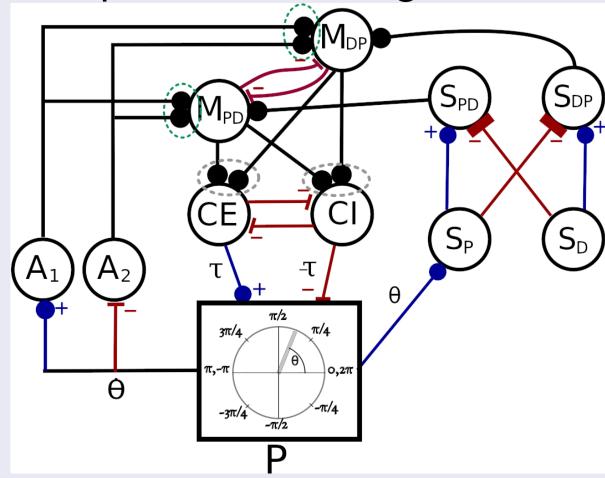
- In turn, sensitivity derivatives can be approximated through a synaptic learning rule with 4 main characteristics:
  - Obtains the correlation between input and output derivatives
  - 2 Incorporates time delays
  - 3 Heterosynaptic competition
  - Weight normalization (sum of weights stays constant)

$$\dot{\omega}_{ij}(t) = -\left(\ddot{e}_{j}(t) - \left\langle \ddot{e}(t) \right\rangle\right) \left(\dot{c}_{i}(t - \Delta t) - \left\langle \dot{c}(t - \Delta t) \right\rangle\right),$$
 where  $\left\langle \ddot{e} \right\rangle \equiv \frac{1}{N_{M}} \sum_{k} \ddot{e}_{k}.$ 

 Along with this rule we use a biologically plausible network that performs closed-loop control. The result is a self-configuring MIMO proportional control.



 Proportional control can be unstable in a system with delays. Inspired by the long-loop reflex, we introduce a network architecture that produces a biological form of PD control.





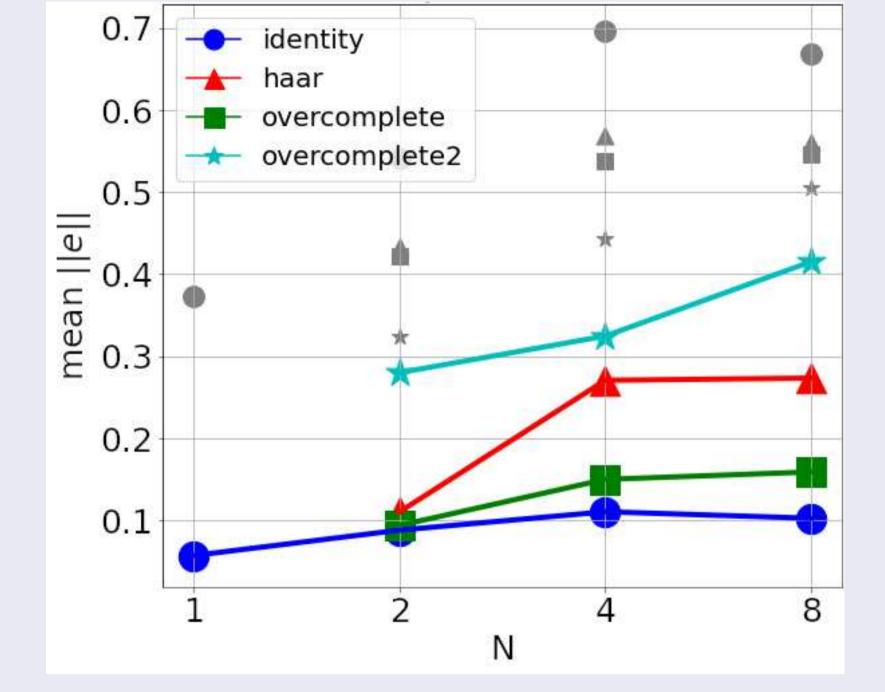


Figure: Linear redundant MIMO systems

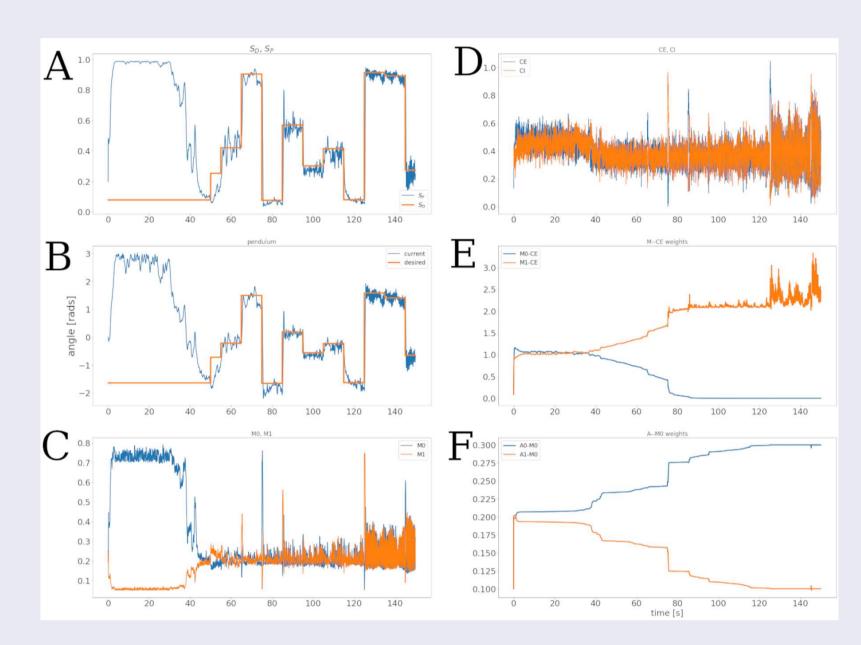
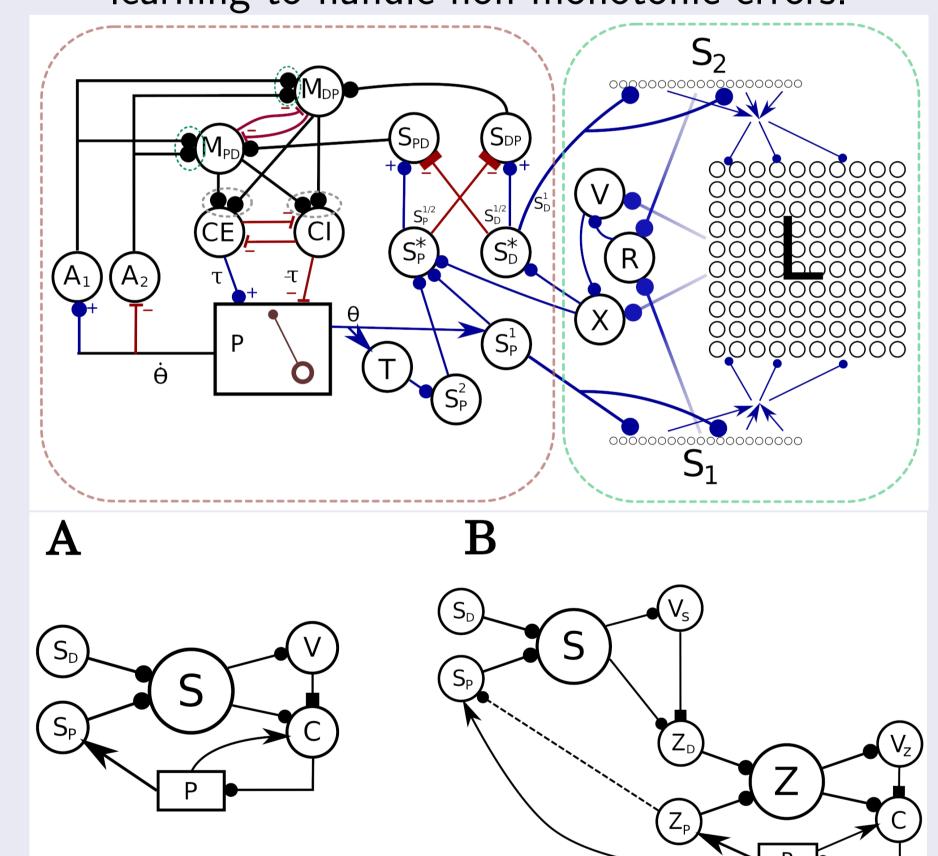


Figure: Pendulum control

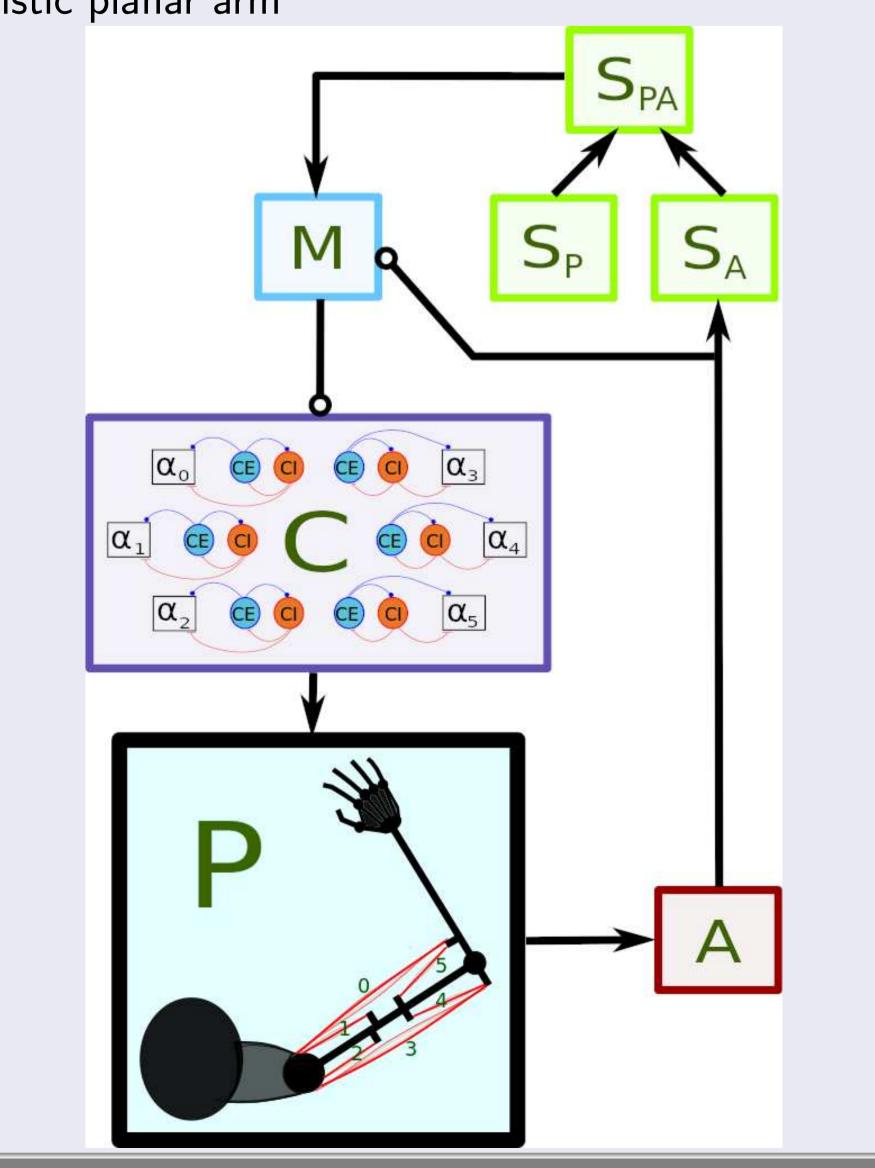
### Non-monotonic control

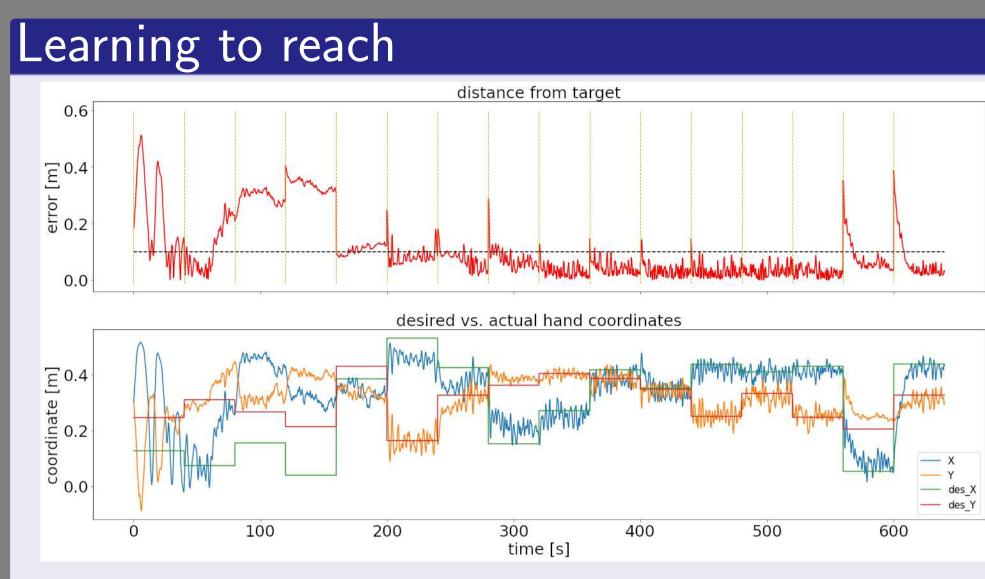
The basic framework can incorporate reinforcement learning to handle non-monotonic errors.



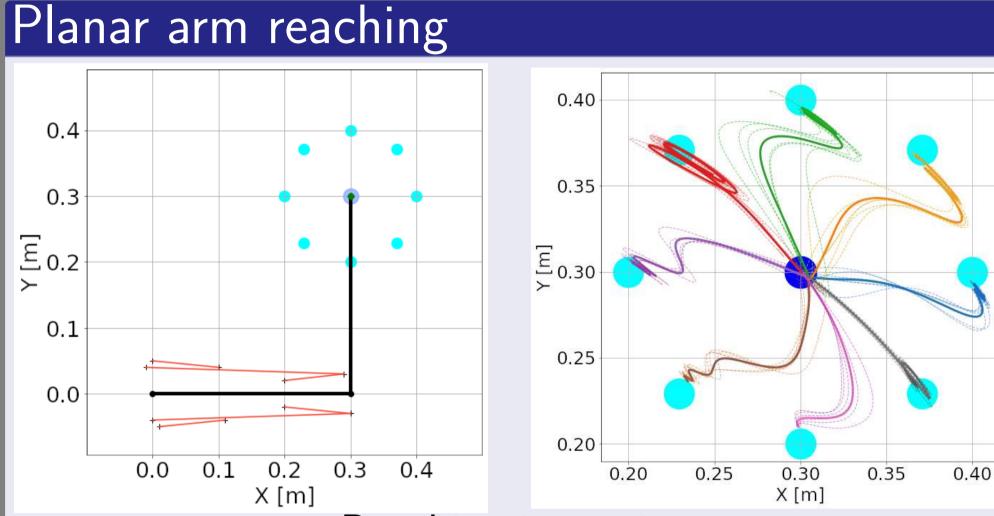
## Planar arm control

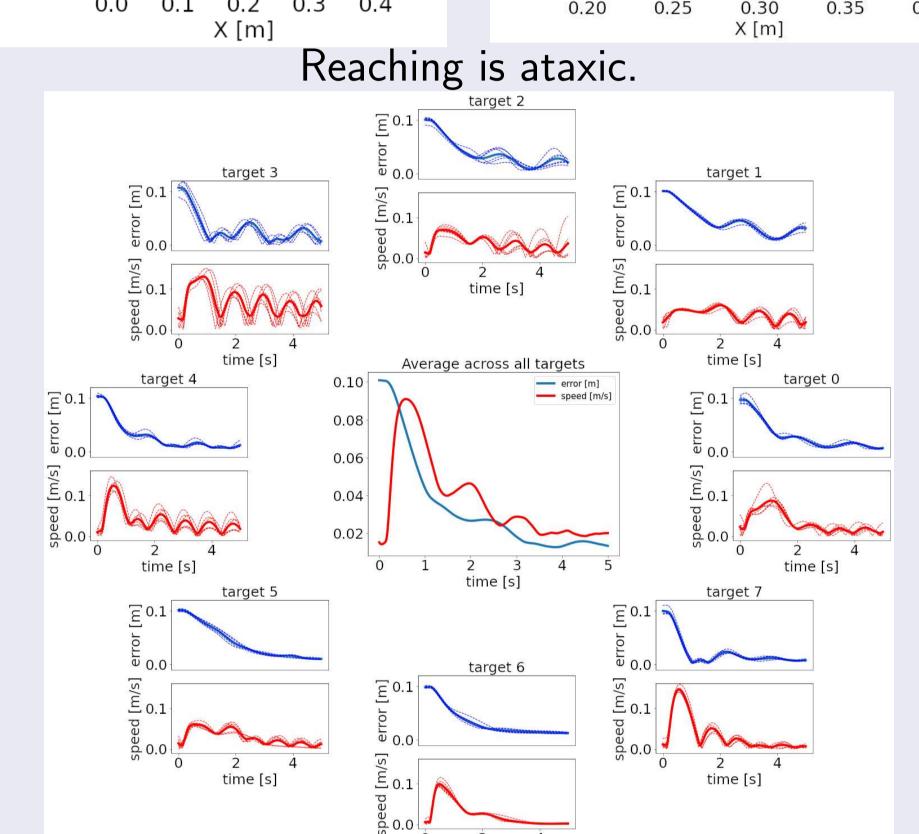
The framework was also applied for the control of a realistic planar arm

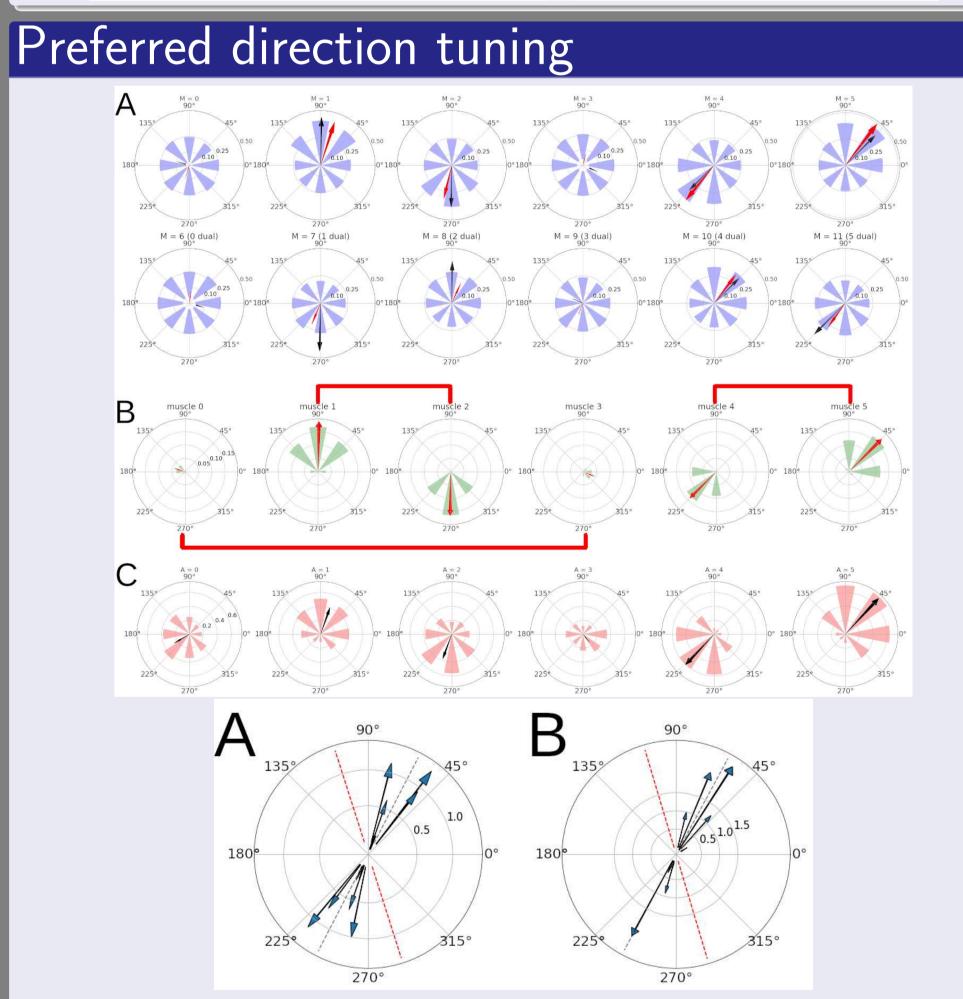




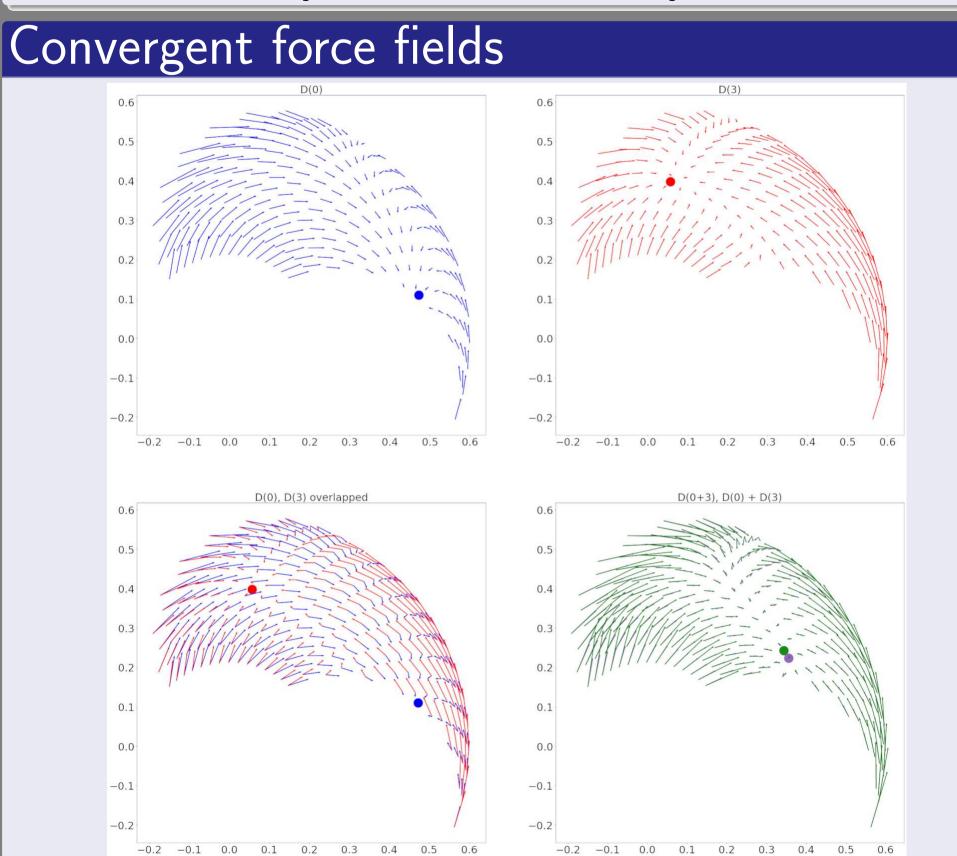
 $\alpha$  units may also stimulate 2 muscles (synergies)







Additionally, PD vectors drift, and motor cortex activity shows rotational dynamics.



September 27, 2021